

# Solution NMR Experiment for Measurement of $^{15}\text{N}$ – $^1\text{H}$ Residual Dipolar Couplings in Large Proteins and Supramolecular Complexes

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**S** Supporting Information

**ABSTRACT:** NMR residual dipolar couplings (RDCs) are exquisite probes of protein structure and dynamics. A new solution NMR experiment named 2D SE2 *J*-TROSY is presented to measure N–H RDCs for proteins and supramolecular complexes in excess of 200 kDa. This enables validation and refinement of their X-ray crystal and solution NMR structures and the characterization of structural and dynamic changes occurring upon complex formation. Accurate N–H RDCs were measured at 750 MHz  $^1\text{H}$  resonance frequency for 11-mer 93 kDa  $^2\text{H}$ ,  $^{15}\text{N}$ -labeled Trp RNA-binding attenuator protein tumbling with a correlation time  $\tau_c$  of 120 ns. This is about twice as long as that for the most slowly tumbling system, for which N–H RDCs could be measured, so far, and corresponds to molecular weights of  $\sim 200$  kDa at 25 °C. Furthermore, due to the robustness of SE2 *J*-TROSY with respect to residual  $^1\text{H}$  density from exchangeable protons, increased sensitivity at  $^1\text{H}$  resonance frequencies around 1 GHz promises to enable N–H RDC measurement for even larger systems.

Nuclear magnetic resonance (NMR) studies of large proteins and supramolecular complexes ( $\gg \sim 100$  kDa) rely on transverse relaxation optimized spectroscopy<sup>1</sup> (TROSY) with samples having backbone  $^{15}\text{N}$ / $^1\text{H}$  and/or side chain  $^{13}\text{C}$ / $^1\text{H}$  moieties in a uniformly  $^2\text{H}$ -labeled background. Strategies for respective  $^{15}\text{N}$ ,  $^{13}\text{C}$ ,  $^1\text{H}$  resonance assignment exist,<sup>2</sup> and structural constraints can be derived from backbone chemical shifts,<sup>3</sup>  $^1\text{H}$ – $^1\text{H}$  nuclear Overhauser effects, and paramagnetic relaxation enhancement, potentially combined with constraints from “evolutionary coupling” of sequence variations.<sup>4</sup> N–H residual dipolar coupling (RDC)<sup>5</sup> measurements are thus far restricted to  $\tau_c < \sim 50$ – $60$  ns because an experiment to readily measure N–H RDCs for very large systems is not available (Supporting Information, Figure S1). Here we present a solution NMR experiment to measure such RDCs for systems tumbling with  $\tau_c$  well above 100 ns.

For  $\tau_c \gg 50$  ns, the major limitation for N–H RDC (*D*-coupling) measurement arises from very fast relaxation of the  $^{15}\text{N}$  “anti-TROSY” transition<sup>6</sup> during scalar coupling (*J*) evolution. Hence, any new approach needs to separate *J* evolution from TROSY-based  $^{15}\text{N}$  frequency labeling. Sensitivity enhancement (SE) during a delay  $\tau_j$  can then be achieved via simultaneous detection of both orthogonal signal components resulting from *J*

evolution,<sup>7</sup> analogous to preservation of equivalent pathways.<sup>8</sup> Furthermore, it is highly advantageous if *J* evolution does not shift peak positions in 2D [ $^{15}\text{N}$ ,  $^1\text{H}$ ] spectra (as for frequency domain measurements<sup>6,9</sup>), so that peak assignments can be readily retained.

Based on these criteria, we implemented a novel TROSY-based experiment. As in constant time *J*-HSQC,<sup>8b</sup> *J* evolves during a fixed delay  $\tau_j$  and is encoded in peak intensities in two subspectra recorded, respectively, with the radio frequency (rf) pulse modules (1) and (2) of Figure 1. In the absence of differential spin relaxation, addition (+) and subtraction (–) of the subspectra yields  $\cos(\pi J \tau_j)$ - and  $\sin(\pi J \tau_j)$ -scaled 2D [ $^{15}\text{N}$ ,  $^1\text{H}$ ] TROSY spectra; *J* is calculated from the peak volumes  $V^{(+)}$  and  $V^{(-)}$  as

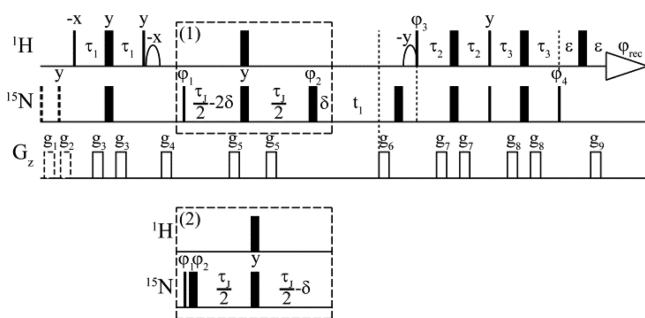
$$J = \arctan(V^{(-)}/V^{(+)})/(\pi\tau_j) + n/\tau_j \quad (1)$$

if *J* evolution is *n*-fold aliased during  $\tau_j$  (Supporting Information 2). Moreover, calculation of error propagation reveals that precision is highest at  $\tau_j = 1/R_{2\text{N}}$ , the inverse average transverse relaxation rate of  $^{15}\text{N}$  in-phase and antiphase coherences (Supporting Information 3). Importantly, the ST2-PT TROSY pulse module<sup>1b,10</sup> allows combining pulse field gradient (PFG)-based SE during  $^{15}\text{N}$ -shift evolution with the second SE during *J* evolution (product operator<sup>11</sup> calculation in Supporting Information 2). Hence, the new experiment is “doubly” sensitivity enhanced and named “2D SE2 *J*-TROSY” (for brevity, we will refer to 2D SE TROSY<sup>1b,10</sup> as 2D TROSY).

We compared the theoretically expected precision of *J* measurement of SE2 *J*-TROSY (Figure 1) with two other TROSY-based approaches, “amide RDCs by TROSY spectroscopy” (ARTSY)<sup>13</sup> and *J*-modulated TROSY, congener of *J*-modulated HSQC.<sup>14</sup> ARTSY is the most sensitive approach available thus far for large systems. It involves recording two 2D TROSY spectra acquired with *J* evolution of transverse  $^1\text{H}$  magnetization during an initial INEPT delay extended to  $\tau_A \approx 1/J$ . For the first and second spectrum, *J* evolution effectively evolves, respectively, during  $\tau_A$  and  $\tau_A/2$ . *J*-modulated TROSY relies on sampling  $\cos(\pi J \tau)$  evolution at multiple delays  $\tau$  prior to  $^{15}\text{N}$  frequency labeling, requiring comparably long *J* evolution times for precise measurement of *J*.<sup>14</sup> The same holds for frequency-based methods such as 2D CE-TROSY<sup>6,9b</sup> and recording two 2D TROSY spectra with and without  $^1\text{H}$

Received: July 6, 2015

Published: August 21, 2015

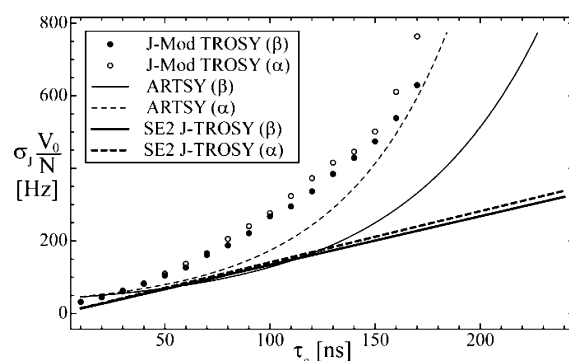


**Figure 1.** Radio frequency pulse sequence of 2D SE2 *J*-TROSY. Modules in dashed boxes labeled (1) and (2) are applied to acquire two subspectra.  $\tau_j \approx 1/R_{2N}$  is the delay for *J* evolution. Rectangular 90 and 180° pulses are indicated by thin and thick vertical bars, and phases for Agilent spectrometers are indicated above the pulses. Where no rf phase is marked, the pulse is applied along *x*.  $\delta = 2p\omega_N/\pi$  compensates for shift and *J* evolution during the 90° <sup>15</sup>N rf pulse of duration  $p\omega_N$  (phase  $\phi_1$ ) and subsequent 180° <sup>15</sup>N and <sup>1</sup>H rf pulses (Supporting Information 2). High-power 90° pulse lengths:  $\sim 13 \mu\text{s}$  for <sup>1</sup>H,  $\sim 34 \mu\text{s}$  for <sup>15</sup>N. Duration and strengths of sine-bell-shaped PFGs:  $G_1$  (0.5 ms, 14.7 G/cm);  $G_2$  (0.5 ms, 10.3 G/cm);  $G_3$  (0.5 ms,  $-14.7$  G/cm);  $G_4$  (1 ms, 26.6 G/cm);  $G_5$  (1 ms, 14.2 G/cm);  $G_6$  (2 ms, 31.9 G/cm);  $G_7$  (0.5 ms, 17 G/cm);  $G_8$  (0.5 ms, 8 G/cm);  $G_9$  (0.2 ms, 32.4 G/cm).  $\tau_j$ ,  $\tau_1$ ,  $\tau_2$ ,  $\tau_3$ , and phase  $\phi_4$  (Table S1) are optimized for higher sensitivity and/or artifact suppression (Supporting Information 2.3). Phase cycling:  $\phi_1 = x, -x$ ;  $\phi_2 = x, x, y, y, -x, -x, -y, -y$ ;  $\phi_3 = x$ ;  $\phi_4 = y$ ;  $\phi_{\text{rec}} = x, -x, -x, x$ . Quadrature detection in  $t_1$  (<sup>15</sup>N): recording of a second data set with phases  $\phi_3, \phi_4$ , and gradient  $G_9$  inverted.<sup>10</sup> Water magnetization is flipped back<sup>12</sup> by two 1.4 ms soft pulses (sinc center lobe). Dashed 90° <sup>15</sup>N pulses and gradients  $G_1$  and  $G_2$  purge <sup>15</sup>N steady-state magnetization to quantify the impact of  $\Delta R$  on *J* measurement (see text); they should be omitted for somewhat improved sensitivity and accuracy of *J* measurement (Supporting Information 4). <sup>15</sup>N CSA/DD cross-correlated relaxation during  $\tau_j$  is identical for modules (1) and (2) (except for  $2\delta$ , which is negligible).

decoupling in  $t_1$  (<sup>15</sup>N).<sup>15</sup> For these two experiments, *J* evolution is cosine sampled in concert with <sup>15</sup>N frequency labeling, and intrinsic sensitivities are comparable to *J*-modulated TROSY. Hence, we focused on comparing SE2 TROSY with ARTSY and *J*-modulated TROSY.

We performed error propagation calculations (Figure 2) for a rigid, isotropically reorienting <sup>2</sup>H,<sup>15</sup>N-labeled protein neglecting differential relaxation of in-phase/antiphase terms as well as <sup>15</sup>N chemical shift anisotropy (CSA)/<sup>15</sup>N–<sup>1</sup>H dipole–dipole (DD) cross-correlated relaxation during *J* evolution (Supporting Information 3). Figure 2 shows that (i) for  $\tau_c$  up to  $\sim 30$  ns, all three experiments promise to yield, for both  $\beta$ -sheets and  $\alpha$ -helices, comparable precision; (ii) for  $\tau_c > 30$  ns, *J*-modulated TROSY is significantly less precise than SE2 TROSY and ARTSY; (iii) for  $\tau_c > 75$  ns, ARTSY is expected to be significantly less precise than SE2 *J*-TROSY for  $\alpha$ -helices (due to the higher residual <sup>1</sup>H density when compared with  $\beta$ -sheets); and (iv) for  $\tau_c > 120$  ns, ARTSY is less precise than SE2 *J*-TROSY also for  $\beta$ -sheets. Importantly, even for  $\tau_c > 120$  ns, SE2 *J*-TROSY is expected to yield quite similar precision for  $\alpha$ -helices and  $\beta$ -sheets, reflecting its robustness with respect to residual <sup>1</sup>H density. This is because sensitivity of SE2 *J*-TROSY depends on  $R_{2N}$  (during *J* evolution), which is affected to a lesser degree by the residual proton density than  $R_{2H}$  (during *J* evolution) as in ARTSY.

We then assessed the theoretical accuracy of *J* measurement with SE2 *J*-TROSY. Accuracy is reduced by spin relaxation during  $\tau_j$  affecting  $V^{(-)}/V^{(+)}$ , that is, differential relaxation of  $N^\pm$

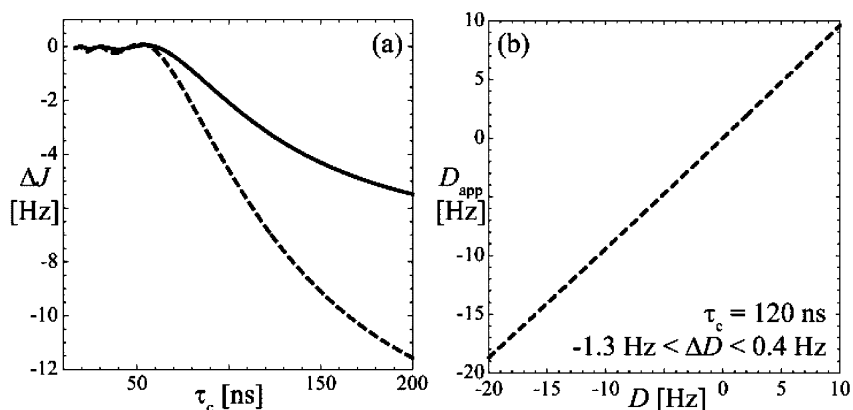


**Figure 2.** Precision of *J* measurement calculated for a <sup>15</sup>N,<sup>2</sup>H-labeled protein tumbling at  $\tau_c$ : SE2 *J*-TROSY (thick lines), ARTSY (thin lines), and *J*-modulated TROSY (dots) <sup>1</sup>H<sup>N</sup>–<sup>1</sup>H<sup>N</sup> distances in secondary structure elements and 3.4% residual protonation were considered (Supporting Information 5). Plotted versus  $\tau_c$  is the product of the standard deviations for *J* measurement,  $\sigma_J$ , and the “volume over noise ratio”,  $V_0/N$ , observed in a reference TROSY spectrum. The curves for SE2 *J*-TROSY and ARTSY are from analytical solutions of error propagation calculations, and dots for *J*-modulated TROSY are from simulations (Supporting Information 3).

and  $2N^\pm H_z$ ,<sup>16</sup> and CSA/DD cross-correlated relaxation resulting in differential relaxation of  $N^\pm H^\beta$  and  $N^\pm H^\alpha$ . Hence, we followed previous studies<sup>16a,17</sup> to solve the Liouville–von Neumann equation for the 4D subspace spanned by  $N_y$ ,  $2N_x H_z$ ,  $N_x$ , and  $2N_y H_z$ , considering rf pulses (Figure 1), chemical shift, and *J* evolution during  $\tau_j$  for the spin Hamiltonian. In contrast to the previous studies, we derived an analytical solution considering both the difference of  $N^\pm$  and  $2N^\pm H_z$  relaxation rates,<sup>16b</sup>  $\Delta R$ , and the <sup>15</sup>N CSA/DD cross-correlated relaxation rate  $\eta_N$  in the regime  $(\Delta R/(2\pi))^2 \ll 1$  and  $(\Delta R/(2\eta_N))^2 \ll 1$  (Supporting Information 4). For large  $\tau_c$  relaxation significantly affects the measured coupling,  $J_{\text{app}}$  obtained with eq 1. Although  $V^{(-)} \sim \sin(\pi/\tau_j)$  still holds, one finds, as eq 2

$$V^{(+)} \propto \cos(\pi/\tau_j) + \frac{\Delta R(\eta_N(\exp(-\eta_N \tau_j) - \cos(\pi/\tau_j)) - \pi \sin(\pi/\tau_j))}{2(\eta_N^2 + (\pi)^2)} \quad (2)$$

Figure 3a shows  $\Delta J = (J_{\text{app}} - J)$  versus  $\tau_c$ , where  $\Delta J$  was calculated using eq S81 (Supporting Information 5) for a rigid <sup>2</sup>H,<sup>15</sup>N-labeled protein tumbling isotropically ( $J = -93$  Hz; 750 MHz). Up to  $\tau_c \sim 70$  ns,  $\Delta J/J < 1\%$ , so that SE2 *J*-TROSY enables accurate measurement, while  $\Delta J/J$  becomes significant for large  $\tau_c$  and reaches, respectively,  $\sim 5$  and  $\sim 12\%$  for  $\beta$ -sheets and  $\alpha$ -helices at  $\tau_c \sim 200$  ns. Since  $\Delta R$  and  $\eta_N$  are difficult to measure accurately for large systems, extraction of *J* from  $J_{\text{app}}$  values is challenging for  $\tau_c > 70$  ns. However, *D* is obtained from the difference of couplings with and without partial alignment:  $D_{\text{app}} = (J + D)_{\text{app}} - J_{\text{app}}$ . Since  $\tau_c$  is very similar with and without alignment,<sup>18</sup>  $\Delta(J + D)$  and  $\Delta J$  cancel largely. Figure 3b shows  $\Delta D = \Delta D_{\text{app}} - \Delta J_{\text{app}}$  for  $J = -93$  Hz in  $\alpha$ -helices, where  $\Delta R$  is larger than that in  $\beta$ -sheets (Figure 3a), for  $\tau_c \sim 120$  ns and *D* varying between  $-20$  and  $+10$  Hz. The calculations predict that *D* can be accurately measured (within  $\sim 1$  Hz) for  $\tau_c \sim 120$  ns. Furthermore,  $\Delta(J + D)$  is approximately proportional to  $J + D$ , so that  $\Delta D$  is proportional to *D*. For uniform  $\Delta R$  and  $\eta_N$  values, such a systematic error with  $\Delta D \sim D$  solely yields a change of the apparent magnitude of the alignment tensor but not inaccurate orientational constraints. Finally, differential

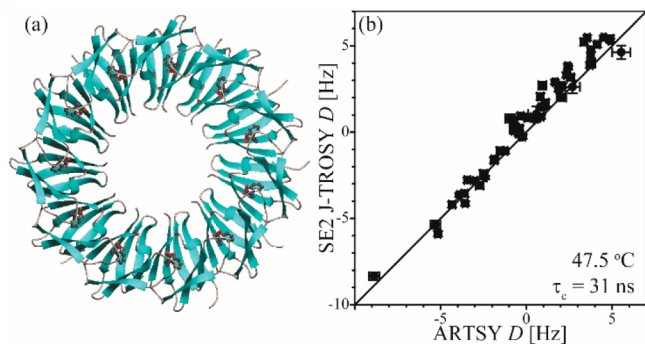


**Figure 3.** (a) Plot of calculated  $\Delta J = (J_{\text{app}} - J)$  versus  $\tau_c$  at  $\tau_J = 1/R_{2N}$  for a rigid  $^2\text{H}$ ,  $^{15}\text{N}$ -labeled protein tumbling isotropically ( $J = -93$  Hz; 750 MHz); the distances between  $^1\text{H}^{\text{N}}$  and other  $^1\text{H}$  are as in Figure 2 (solid line,  $\beta$ -sheet; dashed line,  $\alpha$ -helix). (b) For  $\alpha$ -helix at  $\tau_c = 120$  ns: plot of  $D_{\text{app}} = (J + D)_{\text{app}} - J_{\text{app}}$  versus  $D$  between  $-20$  and  $+10$  Hz. The corresponding range of  $\Delta D$  is indicated at the bottom; small  $\Delta D$  allows derivation of orientational constraints.<sup>5</sup>

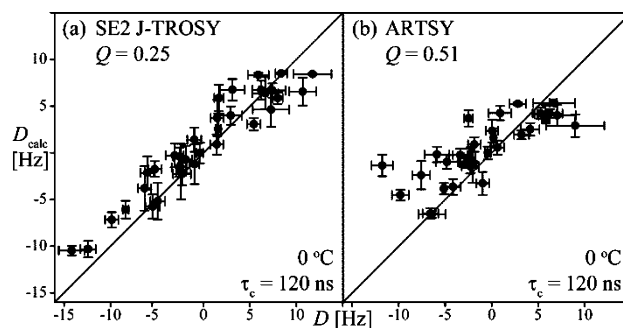
dynamic frequency shifts for  $N^{\pm}\text{H}^{\beta}$  and  $N^{\pm}\text{H}^{\alpha}$ <sup>14,19</sup> have been shown to be only  $\sim 0.7$  Hz for  $\tau_c > \sim 10$  ns,<sup>19</sup> and they cancel likewise.

We verified experimentally high precision and accuracy of  $J$  measurement with SE2  $J$ -TROSY for a  $\sim 1$  mM solution of 16 kDa protein "OR457" ( $\tau_c \sim 8$  ns; PDB ID 2MR5) without and with partial Pf1 phage<sup>18</sup> alignment. We acquired in duplicate SE2  $J$ -TROSY as well as  $J$ -modulated HSQC spectra.<sup>14</sup> This yielded a rmsd of  $\sim 0.2$  Hz calculated between duplicate sets of  $D$ -couplings with either of the two methods and  $\sim 0.6$  Hz between sets obtained with the two methods (Supporting Information 10).

Next, we acquired (Supporting Information 9) in duplicate (i) SE2  $J$ -TROSY, ARTSY, and  $J$ -modulated TROSY data at 750 MHz and 47.5 °C for a  $\sim 0.22$  mM solution of tryptophan-bound 11-mer 93 kDa  $^2\text{H}$ ,  $^{15}\text{N}$ -labeled Trp RNA-binding attenuator protein (TRAP) from *B. stearothermophilus*<sup>20</sup> ( $\tau_c \sim 31$  ns; Supporting Information 8) without and with Pf1 phage alignment (Figure 4), and (ii) SE2  $J$ -TROSY and ARTSY data at 0 °C ( $\tau_c \sim 120$  ns; Figure 5).  $^{15}\text{N}/^1\text{H}$  assignments at 47.5 °C<sup>21</sup> were confirmed using 3D  $^{15}\text{N}$ -resolved [ $^1\text{H}-^1\text{H}$ ] NOESY and transferred to 0 °C with a 2D TROSY temperature series. All chemical shifts changed according to temperature coefficients expected for a folded protein,<sup>22</sup> confirming that TRAP does not



**Figure 4.** (a) Ribbon drawing of 93 kDa 11-mer TRAP from *B. stearothermophilus*<sup>20</sup> with Trp (shown as "ball-and-stick" representations) bound to the subunits (PDB ID: 1QAW). (b)  $D$ -couplings and standard deviations (calculated via error propagation from peak  $V/N$  ratios; bars) measured at 47.5 °C ( $\tau_c \sim 31$  ns; measurement time 47 h for each experiment;  $V_0/N \sim 270$  in reference 2D TROSY; Table S1).



**Figure 5.**  $D_{\text{calc}}$  predicted from TRAP structure versus  $D$  measured at 0 °C ( $\tau_c \sim 120$  ns) with (a) SE2  $J$ -TROSY and (b) ARTSY. For  $D$ , the mean of the duplicate measurements (Table S1) and standard deviations (calculated via error propagation from peak  $V/N$  ratios; horizontal bars) are displayed. For  $D_{\text{calc}}$ , mean values and standard deviations (vertical bars) are displayed as obtained for the 11 subunits of the TRAP X-ray crystal structure (total measurement time 84 h for each experiment;  $V_0/N \sim 180$  in reference TROSY; Table S1).

(partially) cold denature. Consistently,  $\tau_c$  values measured (Supporting Information 10) at 0 °C ( $\sim 120$  ns) and 47.5 °C (31 ns) are in close agreement with hydrodynamic calculations (120 and 32 ns, respectively; Supporting Information 7) for the TRAP structure<sup>20</sup> (Figure 4a). The structure was also used to calculate  $Q$ -factors to assess agreement with  $D$ -couplings.

At 47.5 °C ( $\tau_c \sim 31$  ns; Figure 4; Supporting Information 10), the same high precision of  $J$  and  $D$  measurement was obtained, as predicted (Figure 2), for SE2  $J$ -TROSY (rmsd values between duplicate sets of 58  $J$ - and  $D$ -couplings from well-resolved peaks are 0.28 and 0.39 Hz), ARTSY (0.33 and 0.43 Hz), and  $J$ -modulated TROSY (0.37 and 0.50 Hz). High accuracy of  $D$  measurement was validated with (i) rmsd values for sets of  $D$ -couplings from SE2  $J$ -TROSY versus ARTSY (0.81 Hz, Figure 4b), SE2  $J$ -TROSY versus  $J$ -modulated TROSY (0.96 Hz), ARTSY versus  $J$ -modulated TROSY (0.62 Hz); and (ii) low  $Q$ -factors of 0.22, 0.23, and 0.20 obtained, respectively, for  $D$ -couplings from SE2  $J$ -TROSY, ARTSY, and  $J$ -modulated TROSY.

In accordance with predictions (Figure 2), at 0 °C ( $\tau_c \sim 120$  ns),  $J$ -modulated TROSY is not sufficiently sensitive, while rather precise RDCs are obtained (Supporting Information 10) with SE2  $J$ -TROSY (rmsd between duplicate sets of 45 RDCs is 1.9 Hz) and ARTSY (2.3 Hz). However,  $Q$ -factors (SE2  $J$ -TROSY =



0.25; ARTSY = 0.51) (Figure 5; Supporting Information 10) revealed that only SE2 *J*-TROSY offered sufficient accuracy to derive orientational constraints (rmsd between SE2 and ARTSY derived RDC sets = 3.0 Hz). This finding may, at least partially, be due to the fact that ARTSY is affected to a larger degree by  $^1\text{H}^{\text{N}}$  CSA/DD cross-correlated relaxation than SE2 *J*-TROSY is by  $\Delta R$  and  $^{15}\text{N}$  CSA/DD relaxation ( $^1\text{H}^{\text{N}}$  cross-correlated relaxation is only partially suppressed in the second ARTSY spectrum<sup>13</sup>).

We showed that SE2 *J*-TROSY employed at a moderately high  $^1\text{H}$  frequency of 750 MHz enables accurate measurement of N–H RDCs up to  $\tau_c \sim 120$  ns, which corresponds to molecular weights of  $\sim 200$  kDa at 25 °C. Moreover, increased sensitivity offered by 1.0–1.2 GHz spectrometers close to the “magic TROSY field”,<sup>1a</sup> along with sensitivity enhancement from paramagnetic relaxation agents<sup>23</sup> and possibly dynamic nuclear polarization,<sup>24</sup> promises to enable N–H RDC measurement up to  $\tau_c \sim 200$  ns. For even longer  $\tau_c$ , residual  $^1\text{H}$  density can be reduced by adding 50%  $^2\text{H}_2\text{O}$ , and cross-relaxation-induced polarization transfer<sup>25</sup> can be employed. Notably, (i) solid-state NMR spectroscopy promises to enable sequential N–H resonance assignment for even the largest systems,<sup>26</sup> and (ii) aromatic TROSY-based<sup>27</sup> SE2 *J*-TROSY can be envisaged for aromatic  $^{13}\text{C}$ – $^1\text{H}$  RDCs<sup>28</sup> with alternate  $^{13}\text{C}$  labeling.<sup>29</sup>

SE2 *J*-TROSY measurement of N–H RDCs will enable (i) assessment and refinement of X-ray structures of large proteins and supramolecular complexes for solution studies, (ii) structure-based  $^{15}\text{N}/^1\text{H}$  resonance assignment, and (iii) characterization of conformational and dynamic changes upon complex formation (e.g., to study allostery). The new approach alleviates an important size limitation of solution NMR.

## ■ ASSOCIATED CONTENT

### ● Supporting Information

The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/jacs.5b07010.

Details of sample preparation, methods, and results (PDF)

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### Notes

The authors declare no competing financial interest.

## ■ ACKNOWLEDGMENTS

This work was supported by the NSF (MCB 0817857 to T.S. and MCB 1019969 to P.G.) and NIH (U54 GM094597 to T.S.). We thank Dr. M. Foster, Ohio State University, for providing TRAP backbone  $^{15}\text{N}/^1\text{H}$  chemical shifts and for recommending alignment with Pfl phages, and Drs. A. Ghosh and B. Sathyamoorthy for support in the initial phase of the project.

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